

MATH 1325
Chapter 14.4: Lagrange Multipliers

JOSEPH LOUIS LAGRANGE (1736-1813)

- FRENCH MATHEMATICIAN
- HE DEVELOPED A METHOD TO OPTIMIZE A FUNCTION OF TWO OR MORE VARIABLES SUBJECT TO A CONSTRAINT
- "OPTIMIZE $f(x,y)$ WITH $g(x,y) = 0$ "

FIND THE MINIMUM VALUE OF $f(x,y) = x^2 + y^2$ WITH $x+y-4=0$.

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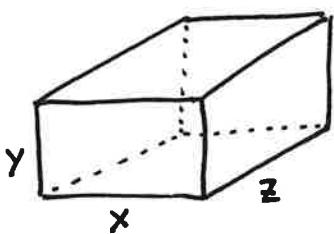
FIND THE MINIMUM VALUE OF $f(x,y) = x^2 + y^2$ WITH $x+y=4$.

7) THE COST OF A 3-STORY BUILDING WITH A RECTANGULAR FLOOR PLAN IS $C(x,y) = xy + 30x + 20y + 474000$ WHERE X IS THE LENGTH AND Y IS THE WIDTH OF EACH RECTANGULAR FLOOR. FIND X AND Y TO MAXIMIZE EACH FLOOR'S AREA AT A COST OF \$500000.

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FIND X, Y, AND Z, 3 POSITIVE NUMBERS, SUCH THAT $X + Y + Z = 50$
AND XYZ^2 IS AT ITS MAXIMUM.

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THE SURFACE AREA OF THIS CLOSED BOX IS 6 ft^2 .
FIND ITS MAXIMUM VOLUME.